

# Few-shot learning, Metric learning

Andrey Stotskiy & Vlad Shakhuro



30 October 2025

# Outline

## 1. Introduction

- 1.1. Domains and datasets
- 1.2. Evaluation and metrics

## 2. Metric learning methods

- 2.1. Sample-based methods
- 2.2. Proxy-based methods

## 3. Efficient searching

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Can every task be reduced to classification?

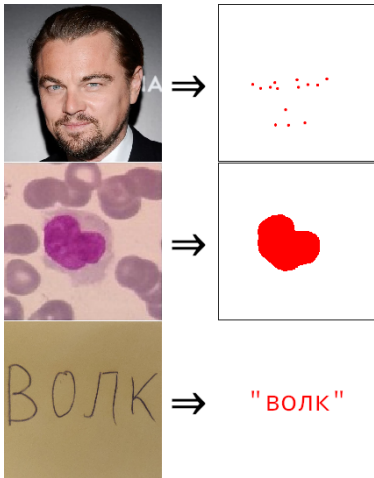


# Can every task be reduced to classification?

In theory – yes. In practice – no. Why not?

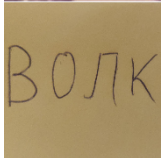
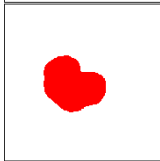
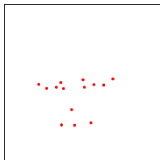
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"ВОЛК"



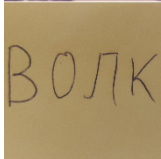
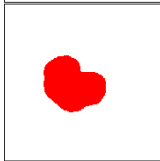
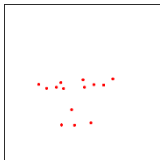
Is this  
Leonardo  
DiCaprio?

Task: Celebrity Actor Recognition

Can **this** task be reduced  
to simple classification?

# Can every task be reduced to classification?

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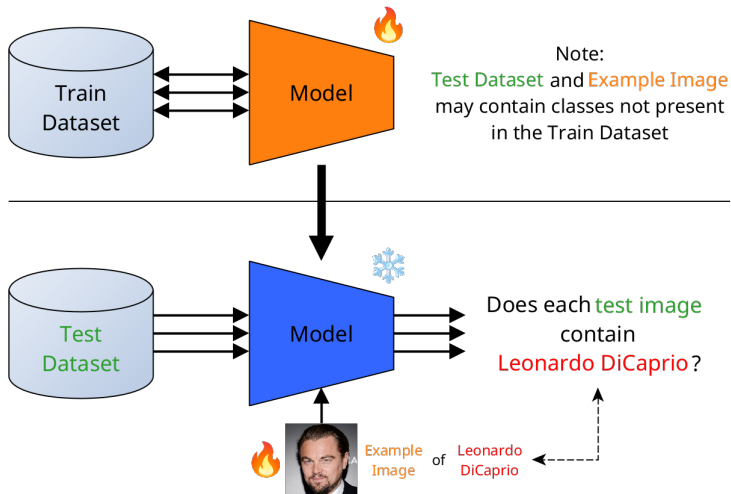
## Solution: Obtain extra examples **after** training

Some classification tasks may either have **too many** classes or in the worst case, the set of classes may **not be fixed ahead of time**.

One possible workaround for this issue is to accept *one* (or *a few*) example images for each new class **at inference / evaluation time**.

This approach is sometimes called *one-shot* (or *few-shot*) learning.

# One-shot / few-shot learning



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# Traffic signs

## Russian Traffic Sign Images Dataset (RTSD)



105k images, 205 classes of which:  
106 classes present in both train and test,  
99 classes only available in the test set

Additionally, the authors provide multiple synthetic dataset variants utilizing 3D CGI and generative networks for traffic sign inpainting and stylization.

The proposed synthetic dataset generation methods are a more advanced version of what you will be doing in the next homework. Also, check the paper author list below.



# Retail products

## 2000 Retail Product Dataset (RP2k)



10k shelf images,  
350k individual product images,  
2k different products types

Shelf images collected from 500 stores across 10 cities, extra annotations including product name, brand, type, shape, size and flavour are available

# Humans silhouette re-identification

## Multi-Scene Multi-Time Person ReID Dataset (MSMT17)



126k bounding boxes,  
4k different individuals,  
very high data diversity

Collected from 15 different cameras,  
over 4 different days in a month,  
during 3 different hour intervals

# Human face recognition

## Labeled Faces in the Wild Dataset (LFW)



13k face images, 5k different individuals

Images automatically collected from news photographs. Detect, crop and rescale each face (multiple per image). Manually annotate each face, referencing original news captions.

Originally contained train and test splits, but currently often used purely as a testing dataset

# Human face recognition

## WebFace42M Dataset (WF42M)

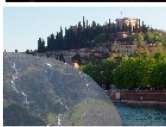
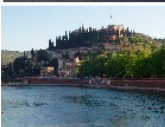
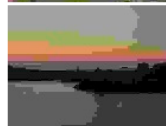


42M face images, 2M different individuals

First, semi-automatically collect celebrity *names* from Freebase, IMDB, etc. Then, scrape images from the internet by using search engines (Google, Bing). Finally, thoroughly clean the data.

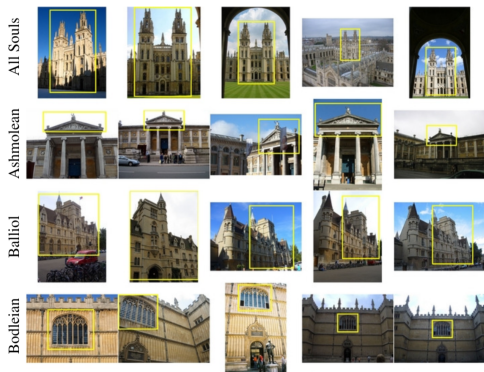
There is also a 260M version of the dataset, but it contains raw low quality images with a lot of annotation errors, so almost no one uses it.

# Near-duplicates



# Image search / retrieval

## Oxford Landmarks Dataset (Oxford5k)



5k images with Oxford landmarks,  
 $1024 \times 768$  resolution

100K and 1M distractor images

Test queries: 5 images per each of 11  
landmarks

# Image search / retrieval

## Google Landmarks Dataset (GLDv2)



762k index images, 4.1M train images, 200k landmarks

Sourced from Wikimedia, semi-automatic relabelling, 800 human hours

Test queries: 118k images

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# Face Recognition

For simplicity, we will assume Face Recognition (FR) as the default domain for the rest of the lecture, unless stated otherwise.

Most of the metrics, methods and other details discussed here apply equally well to other domains. The names and exact formulations of some metrics might differ from domain to domain.

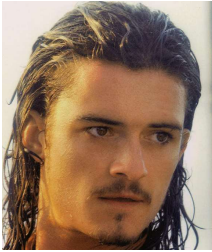
The names of some metric learning methods include explicit references to “Faces”, but none of these methods are actually FR-specific. They are widely used in all discussed domains.

# Verification (1:1)



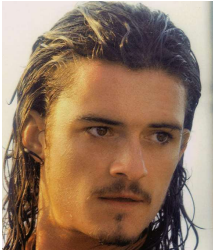
Equivalent pseudo-classification task:  
Are these two images of the same person?

# Verification (1:1)



Which FR verification applications are you familiar with?

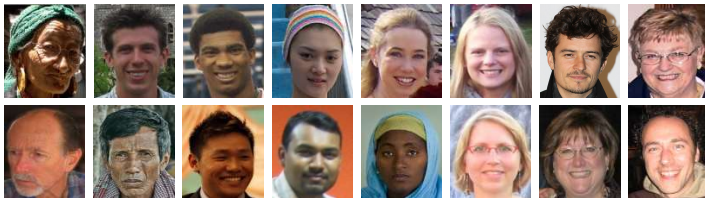
# Verification (1:1)



Which FR verification applications are you familiar with?

- unlocking your phone or laptop
- two-factor authentication in banks or government offices
- visa / passport self-verification kiosks on the border
- pay-by-face (**but only as a second factor**)

# Identification (1:N)



Equivalent pseudo-classification task:

Given a single query image and an enrollment database of  $N$  images, determine if the person in the query image is present in the database.

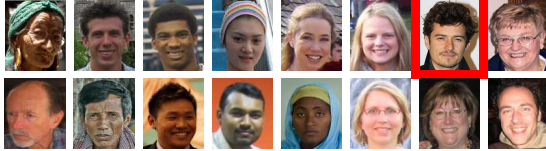
# Identification (1:N)



## Equivalent pseudo-classification task:

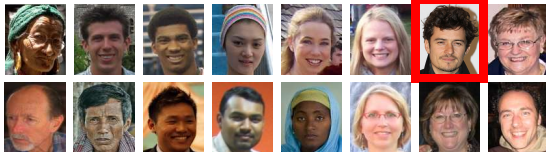
Given a single query image and an enrollment database of  $N$  images, determine if the person in the query image is present in the database.

# Identification (1:N)



Which FR identification applications are you familiar with?

# Identification (1:N)

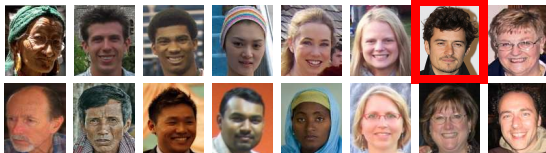


Which FR identification applications are you familiar with?

- white or allow list
  - intercom for residents or entry to restricted / staff-only area
  - pay-by-face (hands free, without your credit card or phone)
- black or deny list
  - law enforcement investigations (“that’s Jason Bourne”)
- open or dynamic list, **re**-identification
  - customer journey analysis
  - crowd congestion control
  - traffic metrics



# Identification (1:N)



## Cooperative vs Passive vs Uncooperative

- is the head oriented straight towards the camera?
- is the subject looking at the camera, are their eyes open?
- is the face fully inside the image frame or is it cropped?
- is the face occluded by something (sunglasses, scarf, mask)?

Identification (1:N) is *usually* **cooperative** for white list, **uncooperative** for black list and **passive** for open list. Verification (1:1) is *almost always* **cooperative**.

# Classification metrics

		Predicted condition	
		Predicted Positive	Predicted Negative
Actual condition	Total population P + N		
	Positive P	True Positive TP	False Negative FN
	Negative N	False Positive FP	True Negative TN

# Classification metrics

		Predicted condition		
		Predicted Positive	Predicted Negative	
Actual condition	Total population $P + N$			
	Positive $P$	True Positive $TP$	False Negative $FN$	False Negative Rate $FNR = \frac{FN}{P}$
	Negative $N$	False Positive $FP$	True Negative $TN$	False Positive Rate $FPR = \frac{FP}{N}$
		Precision $\frac{TP}{TP + FP}$		

# Classification metrics

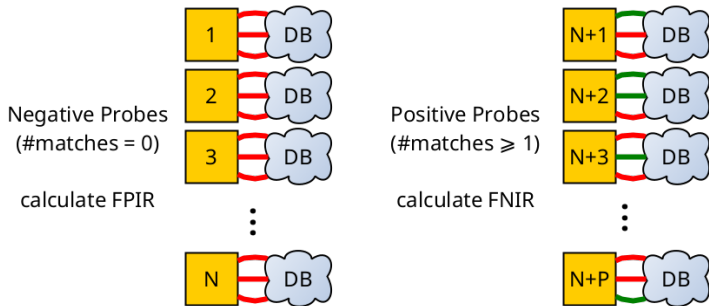
		Predicted condition			
Total population $P + N$		Predicted Positive	Predicted Negative		
Actual condition	Positive $P$	True Positive $TP$	False Negative $FN$	True Positive Rate, Recall, Sensitivity $TPR = \frac{TP}{P} = 1 - FNR$	False Negative Rate $FNR = \frac{FN}{P} = 1 - TPR$
	Negative $N$	False Positive $FP$	True Negative $TN$	False Positive Rate $FPR = \frac{FP}{N} = 1 - TNR$	True Negative Rate, Specificity, Selectivity $TNR = \frac{TN}{N} = 1 - FPR$
		Precision $\frac{TP}{TP + FP}$			

# Classification metrics

		Predicted condition			
		Predicted Positive	Predicted Negative		
Actual condition	Total population $P + N$				
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	Negative $N$	False Positive $FP$	True Negative $TN$	False Positive Rate $FPR = \frac{FP}{N} = 1 - TNR$	True Negative Rate, Specificity, Selectivity $TNR = \frac{TN}{N} = 1 - FPR$
		Precision $\frac{TP}{TP + FP}$			

Positive  $\approx$  Match  $\approx$  Acceptance  $\Rightarrow$  FPR = FMR = FAR  $\neq$  FPIR  
 Negative  $\approx$  Non-Match  $\approx$  Rejection  $\Rightarrow$  FNR = FNMR = FRR  $\neq$  FNIR

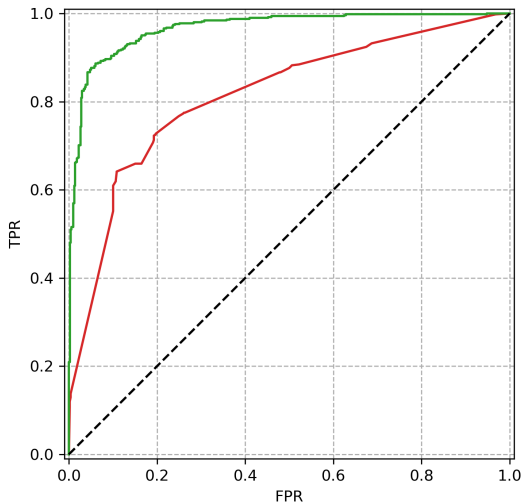
# False Positive / Negative Identification Rate



FPIR and FNIR depend on database size (larger DB  $\rightarrow$  harder task)

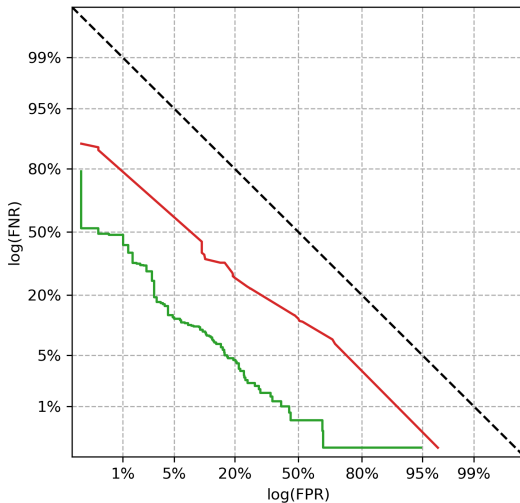
# Trade-off curves ( $V_1$ vs $V_2$ )

Receiver Operating Characteristic (ROC) curves



# Trade-off curves ( $V_1$ vs $V_2$ )

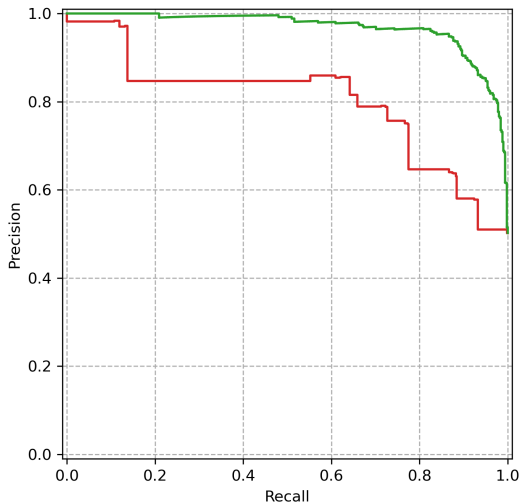
Detection Error Tradeoff (DET) curves





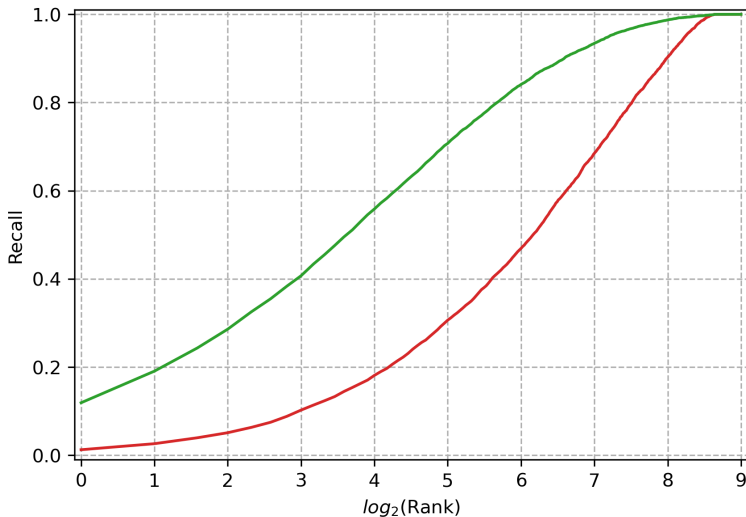
# Trade-off curves ( $V_1$ vs $V_2$ )

Precision-Recall (PR) curves



# Trade-off curves ( $V_1$ vs $V_2$ )

Recall at each rank (Recall@Rank) curves



## Single point metrics ( $V_1 @ V_2 = \text{const}$ )

Evaluate any of the mentioned trade-off curves at a single point.  
For example:

- $\text{TPR} @ \text{FPR} = 10^{-4}$
- $\text{FNIR} @ \text{Rank} = 10$
- $\text{Recall} @ \text{Rank} = 10$
- etc

This approach makes sense, if the value we are fixing represents a realistic use case for the algorithm. So in the above examples, we are checking the performance of our algorithms under the assumption that we can tolerate 1 in 10,000 false positive results ( $\text{FPR} = 10^{-4}$ ) or that the user is willing to investigate the top 10 candidates suggested by our algorithms ( $\text{Rank} = 10$ ).

# Integrated metrics ( $\int V_1 dV_2$ )

## Area Under Curve

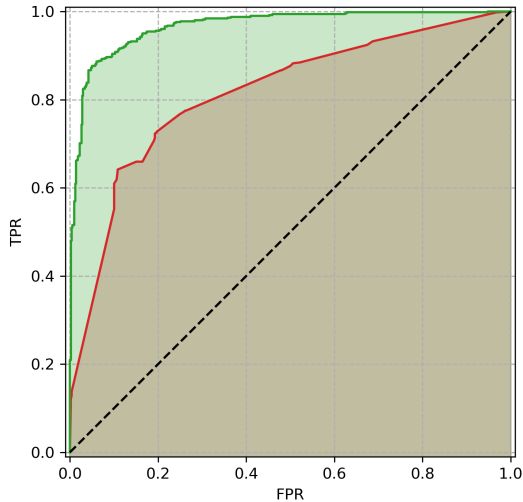
- ROC AUC  
(sometimes called just “AUC”)
- Precision-Recall AUC  
(sometimes “AUPRC”)

## Averaged

- Average Precision
- Average of any  
“Single point metric”  
at multiple points

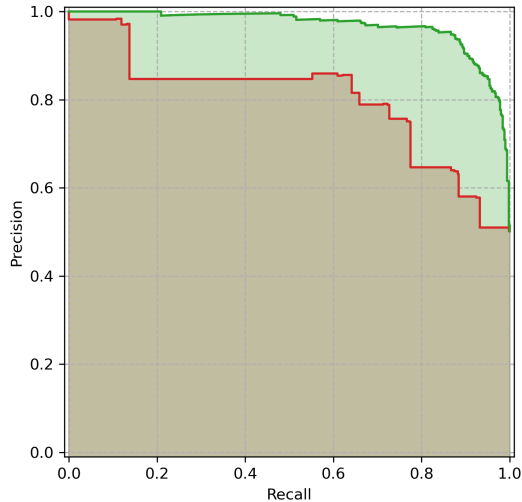
# Integrated metrics ( $\int V_1 dV_2$ )

Receiver Operating Characteristic (ROC) curves



# Integrated metrics ( $\int V_1 dV_2$ )

Precision-Recall (PR) curves



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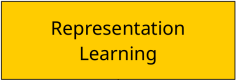
- 1.1. Domains and datasets
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- 2.2. Proxy-based methods

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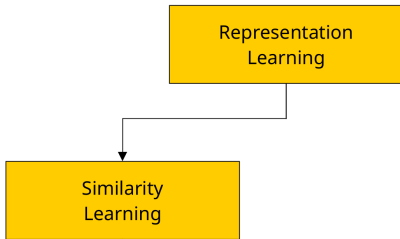
# Hierarchy of methods



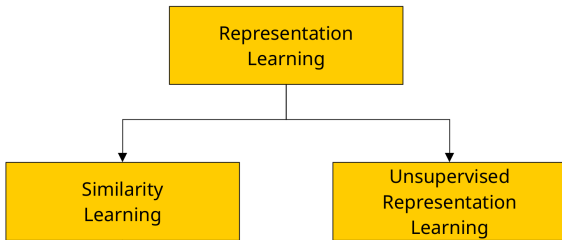
Representation  
Learning



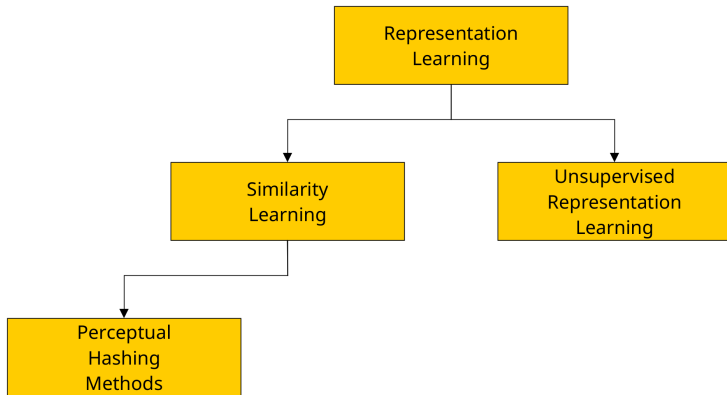
# Hierarchy of methods



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# Perceptual hashing methods

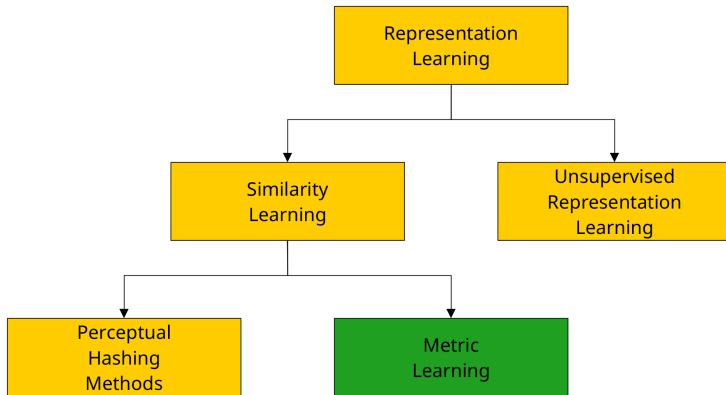
Hand crafted “classical CV” methods. Simple transformations are applied to the images in order to discard perceptually unimportant information (similar to compression algorithms). In the end, the image is reduced to a sequence of bits called its “perceptual hash”.

Generally outside the scope of the course. For the curious students, this [blog](#) covers a couple of the simpler methods:

<https://www.hackerfactor.com/blog/index.php?/archives/529-Kind-of-Like-That.html>

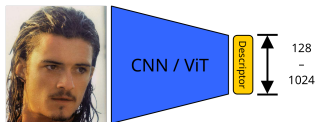
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# Hierarchy of methods

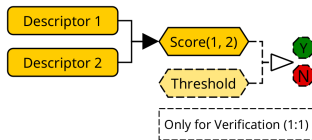


# General metric learning inference pipeline

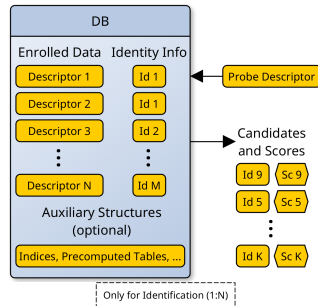
## I. Extract Descriptors aka Embeddings



## 2. Calculate Scores aka Similarities, aka Distances



## 3. Search in Database aka Gallery



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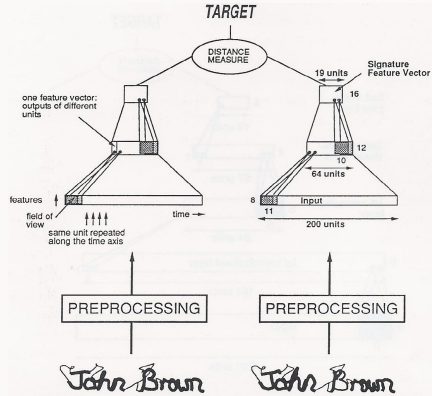
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# Siamese networks



Bromley, LeCun et al. Signature verification using a Siamese time delay neural network. NeurIPS 1993



Naive idea: Pull positive pairs, Push negative pairs

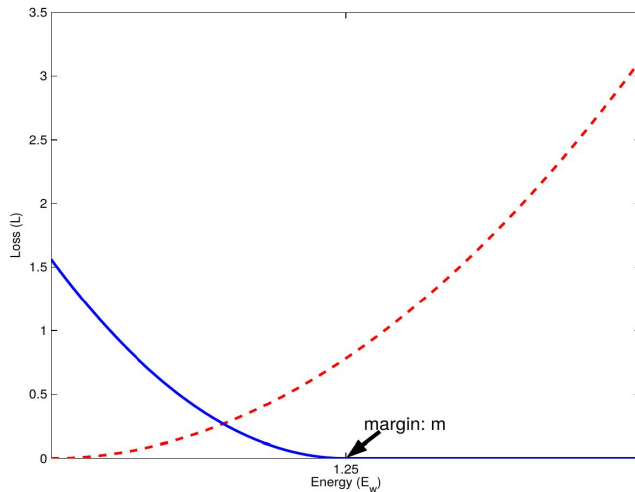
$$L = \begin{cases} \|f_i - f_j\|_2^2 & \text{if } y_i = y_j, \\ -\|f_i - f_j\|_2^2 & \text{otherwise.} \end{cases}$$

# Pairwise contrastive loss

*Idea:* Sample an **equal number** of positive and negative **pairs** of samples and compute the following loss:

$$L = \begin{cases} \|f_i - f_j\|_2^2 & \text{if } y_i = y_j, \\ \max\left(0, m - \|f_i - f_j\|_2\right)^2 & \text{otherwise.} \end{cases}$$

# Pairwise contrastive loss



Hadsell, Chopra, LeCun. Dimensionality Reduction by Learning an Invariant Mapping. CVPR 2005

# Separability criterion

$$\forall f_a, f_p, f_n :$$

$$\|f_a - f_p\|_2^2 < \|f_a - f_n\|_2^2$$

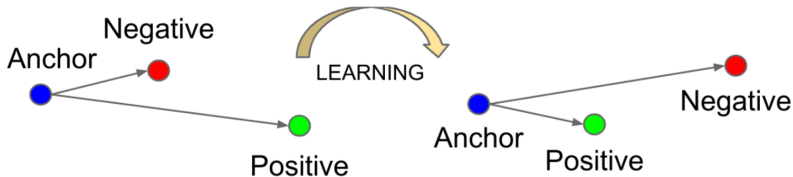
# Separability criterion

$$\forall f_a, f_p, f_n :$$

$$\|f_a - f_p\|_2^2 + m < \|f_a - f_n\|_2^2$$

# Triplet loss

During training, for each anchor, choose the hardest positive and negative sample. In particular, choose  $p$  with the maximum distance and  $n$  with the minimum distance.



$$L = \max \left( 0, \left\| f_a - f_p \right\|_2^2 + m - \left\| f_a - f_n \right\|_2^2 \right)$$

# Big problem with sample-based methods

Face Recognition datasets can have 1M+ identities and 100M+ images.

What are the chances that a randomly sampled (or even somewhat smartly selected) batch will contain negative samples that are close/relevant to the chosen anchors?

Sample-based methods rely heavily on good sampling in order to model the whole target embedding space. The complexity of the structure of the embedding space grows with the number of identities/labels that we want to distinguish.

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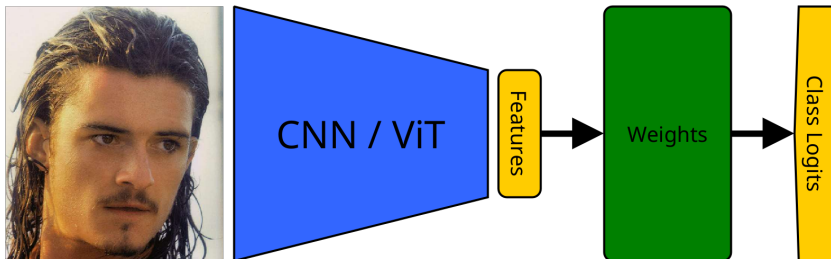
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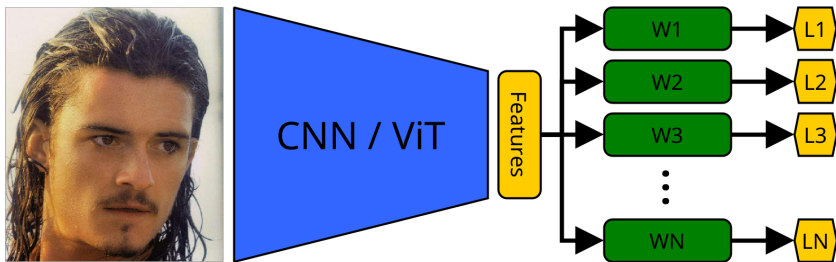
# Why shouldn't we just train a classifier?

## Conventional Classifier



# Why shouldn't we just train a classifier?

## Conventional Classifier



Where  $w_i$  is the prototype or centroid of the  $i$ th class or identity

# Is dot product a metric?

$$x^T y = \langle x, y \rangle = \|x\|_2 \|y\|_2 \cos(\angle xy)$$

Close, but not quite. Negative dot product  $-\langle x, y \rangle$  behaves *kind of* like a metric (smaller values  $\Leftrightarrow$  closer vectors), but it doesn't actually satisfy all the required axioms.

In particular, for any non-zero  $x$  and  $y$ , you can always arbitrarily increase / decrease  $\langle x, y \rangle$  by increasing / decreasing the magnitude of  $\|x\|_2$  or  $\|y\|_2$ .

# Cosine similarity

This issue can be fixed by applying  $L_2$  normalization to both vectors.  
The resulting quantity is called the cosine similarity.

$$c(x, y) = \frac{x^T y}{\|x\|_2 \|y\|_2} = \cos(\angle xy)$$

# Yann LeCun knew this in 1993

The desired output is for a small angle between the outputs of the two subnetworks ( $f_1$  and  $f_2$ ) when two genuine signatures are presented, and a large angle if one of the signatures is a forgery. For the cosine distance used here:

$$(f_1 \cdot f_2) / (|f_1| |f_2|),$$

the desired outputs were 1.0 for a genuine pair of signatures and  $-0.9$  or  $-1.0$  for the second case.

# Cosine distance

Cosine “distance”  $d(x, y) = 2 - 2c(x, y)$  is technically still not a valid distance metric, but you can prove that optimizing  $c(x, y)$  is equivalent to optimizing  $\|x - y\|_2^2$ , with  $x$  and  $y$  constrained to the unit hypersphere.

The proof of this fact is left as an exercise to the listener.

# SphereFace, CosFace

$$L = -\log \left( \frac{e^{s \cdot (c(f_i, w_{y_i}) - m)}}{e^{s \cdot (c(f_i, w_{y_i}) - m)} + \sum_{j \neq y_i} e^{s \cdot c(f_i, w_j)}} \right)$$

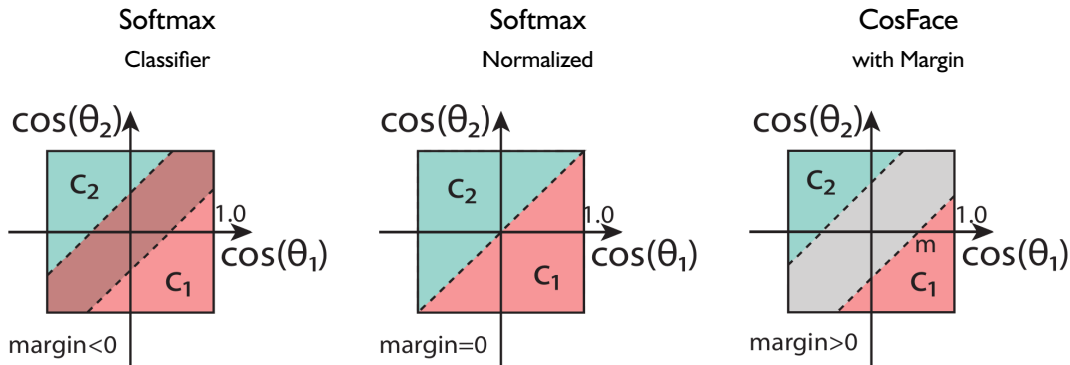
$$m \sim 0.35$$

Liu et al. SphereFace: Deep Hypersphere Embedding for Face Recognition. CVPR 2017

Wang et al. CosFace: Large Margin Cosine Loss for Deep Face Recognition. CVPR 2018



# SphereFace, CosFace



Liu et al. SphereFace: Deep Hypersphere Embedding for Face Recognition. CVPR 2017  
Wang et al. CosFace: Large Margin Cosine Loss for Deep Face Recognition. CVPR 2018

$$L = -\log \left( \frac{e^{s \cdot T(\theta_{y_i})}}{e^{s \cdot T(\theta_{y_i})} + \sum_{j \neq y_i} e^{s \cdot c(f_i, w_j)}} \right)$$

where  $\theta_j = \arccos \left( c \left( f_i, w_j \right) \right)$

$x\text{Face}, x \in \{\text{Sphere}, \text{Cos}, \text{Arc}, \text{Amp}\}$

$$T(\theta) = m_0 \cdot \cos(m_1 \cdot \theta + m_2) - m_3$$

SphereFace:  $m_1 \sim 1.35$

CosFace:  $m_3 \sim 0.35$

ArcFace:  $m_2 \sim 0.5$

AmpFace:  $m_0 \sim 0.375$

# Big problem with sample-based methods

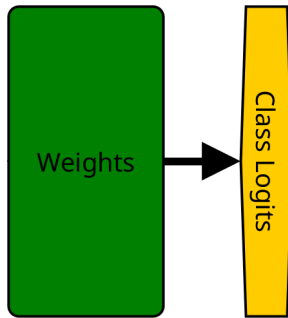
Face Recognition datasets can have 1M+ identities and 100M+ samples

What are the chances that a randomly sampled (or even somewhat smartly selected) batch will contain negative samples that are close/relevant to the chosen anchor pairs?

Sample-based methods rely heavily on good sampling in order to model the whole target embedding space. The complexity of the structure of the embedding space grows with the number of identities/labels that we want to distinguish.

# Even bigger problem with proxy-based methods

Let's estimate the size of the weight/centroid/prototype matrix  $W$  and the logits tensor  $O$ :



$$W \in \mathbb{R}^{C \times E}, \quad O \in \mathbb{R}^{B \times C}$$

even for somewhat small values of  
 $C \sim 1\text{M}$ ,  $E \sim 1024$ ,  $B \sim 1024$ , we get

$$\text{sizeof}(W) = C \cdot E \cdot \text{sizeof}(\text{fp32}) \sim 4\text{GB}$$

$$\text{sizeof}(O) = B \cdot C \cdot \text{sizeof}(\text{fp32}) \sim 4\text{GB}$$

Additionally, the following tensors may require similarly sized allocations:

- intermediate computations involving  $O$  during the forward pass
- intermediate computations involving  $\frac{dL}{dO}$  during the backward pass
- gradient storage/accumulator for  $\frac{dL}{dW}$  during the backward pass
- storage for additional optimizer state for  $W$  (e.g. `exp_avg` and `exp_avg_sq` for Adam)

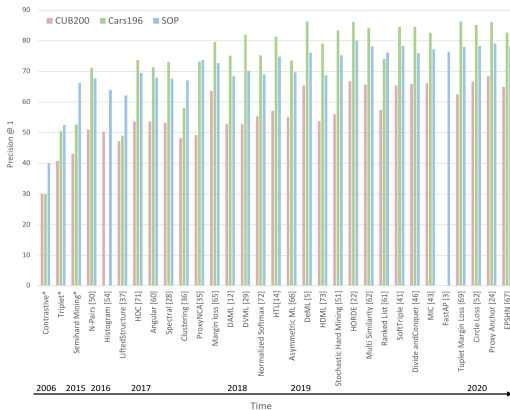
And that is not counting the memory requirements for training the extractor model itself!

# Comparison on Megaface benchmark

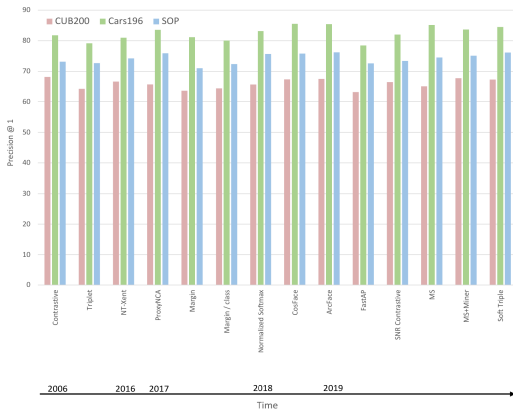
Methods	Id (%)	Ver (%)
Softmax [15]	54.85	65.92
Contrastive Loss[15, 30]	65.21	78.86
Triplet [15, 27]	64.79	78.32
Center Loss[36]	65.49	80.14
SphereFace [15]	72.729	85.561
CosFace [35]	77.11	89.88
AM-Softmax [33]	72.47	84.44
SphereFace+ [14]	73.03	-
CASIA, R50, ArcFace	77.50	92.34
CASIA, R50, ArcFace, R	91.75	93.69
FaceNet [27]	70.49	86.47
CosFace [35]	82.72	96.65
MS1MV2, R100, ArcFace	81.03	96.98
MS1MV2, R100, CosFace	80.56	96.56
MS1MV2, R100, ArcFace, R	98.35	98.48
MS1MV2, R100, CosFace, R	97.91	97.91

Table 6. Face identification and verification evaluation of different methods on MegaFace Challenge1 using FaceScrub as the probe set. “Id” refers to the rank-1 face identification accuracy with 1M distractors, and “Ver” refers to the face verification TAR at  $10^{-6}$  FAR. “R” refers to data refinement on both probe set and 1M distractors. ArcFace obtains state-of-the-art performance under both small and large protocols.

# A metric learning reality check



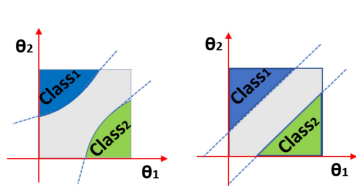
(a) The trend according to papers



(b) The trend according to reality

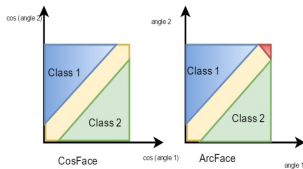
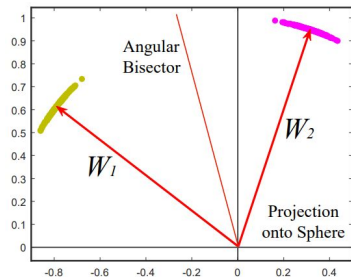
Musgrave et al. A metric learning reality check. ECCV 2020

# Beware of pretty plots



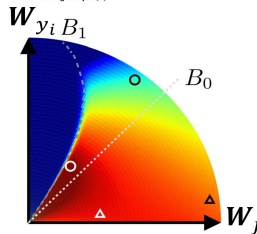
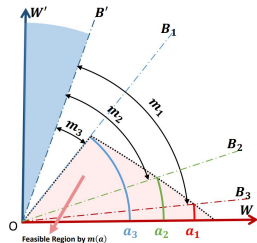
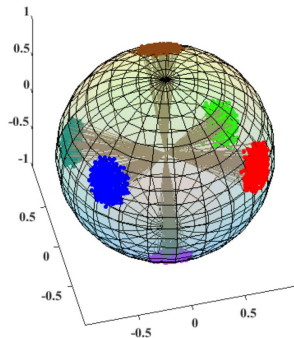
CosFace

ArcFace



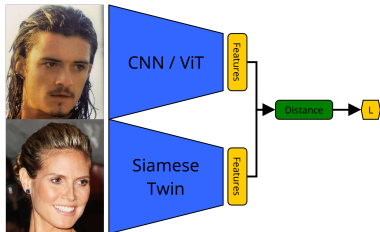
CosFace

ArcFace

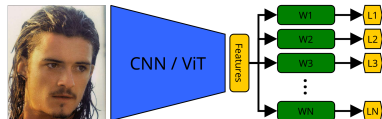
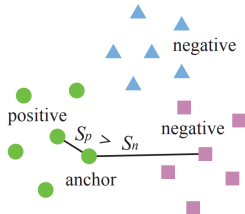




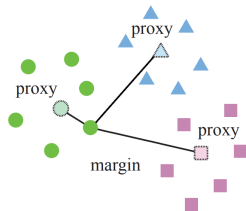
# Unfair comparisons



$$L = \max\left(0, \|f_a - f_p\|_2^2 + m - \|f_a - f_n\|_2^2\right)$$



$$L = -\log \left( \frac{e^{s \cdot (c(f_i, w_{y_i}) - m)}}{e^{s \cdot (c(f_i, w_{y_i}) - m)} + \sum_{j \neq y_i} e^{s \cdot c(f_i, w_j)}} \right)$$



Smooth-AP OneFace  
In Defense of the Triplet Loss  
TransFace UniFace  
AnchorFace Entropy-guided Hard Sample Mining  
Pairwise Similarity Learning is SimPLE  
Consistent Instance False Positive  
Sampling Matters  
SphereFace2  
Hidden Pitfalls of the Cosine Similarity  
Multi-Similarity  
Discrepancy Alignment Metric  
Tuplet Margin UniTSFace  
Lifted Structured Feature Embedding

# Outline

## 1. Introduction

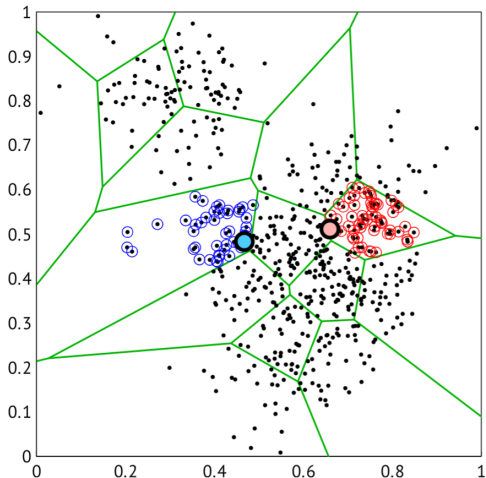
- 1.1. Domains and datasets
- 1.2. Evaluation and metrics

## 2. Metric learning methods

- 2.1. Sample-based methods
- 2.2. Proxy-based methods

## 3. Efficient searching

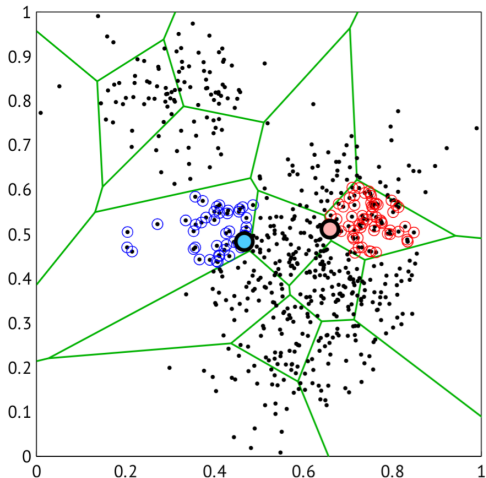
# Inverted index



**Construction:** use k-means to divide images into  $K$  clusters.  $K$  centroids (*codewords*) form a *codebook*. Store  $K$  lists with image ids in RAM

**Search:** given a query, find several nearest *codewords*. List all elements in resp. clusters

# Inverted index

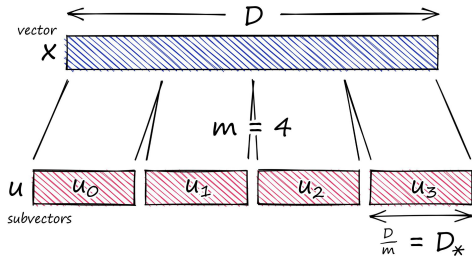


**Construction:** use k-means to divide images into  $K$  clusters.  $K$  centroids (*codewords*) form a *codebook*. Store  $K$  lists with image ids in RAM

**Search:** given a query, find several nearest *codewords*. List all elements in resp. clusters

**Drawbacks?**

# Product quantization



**Construction:** divide vector into  $m$  parts, encode each subvector with  $k$ -means

Usually  $k_* = 256$  (1 byte code per subvector)

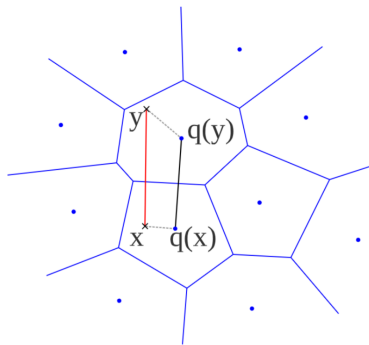
**Comparison with k-means**

Memory and search complexity:

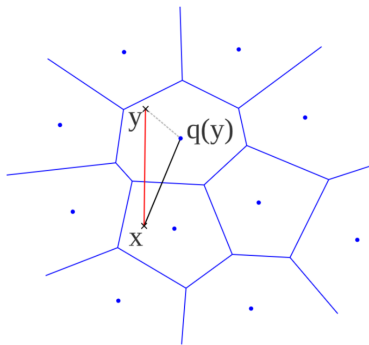
$$kD \text{ vs } mk_*D_* = k^{1/m}D$$

because  $D = mD_*$  and  $k \approx k_*^m$   
(assuming subvectors are independent)

# Distance computation in PQ method



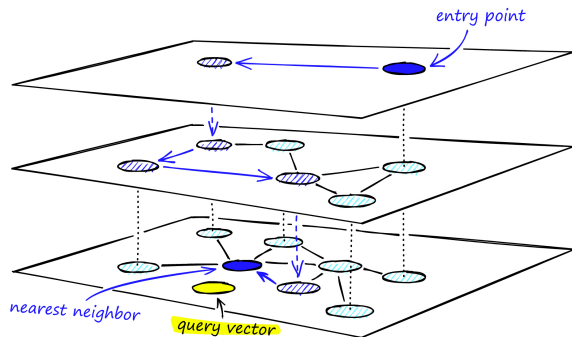
symmetric case



asymmetric case

$$\|x - y\|^2 \approx \|x - [q_1(y), \dots, q_m(y)]\|^2 = \sum_{i=1}^m \|x_i - q_i(y)\|^2$$

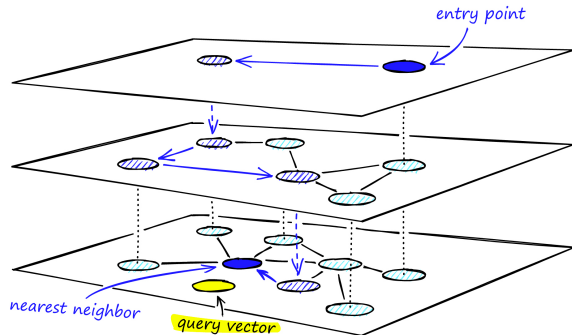
# Hierarchical Navigable Small World



Malkov, Yashunin. Efficient and robust approximate nearest neighbor search using Hierarchical Navigable Small World graphs. TPAMI 2018



# Hierarchical Navigable Small World



Rough complexity estimates

Search in  $O(\log N)$

Construct in  $O(N \log N)$

Memory: 60-450 bytes/object

Malkov, Yashunin. Efficient and robust approximate nearest neighbor search using Hierarchical Navigable Small World graphs. TPAMI 2018

# Overall method

1. Compute inverted index with large  $K = 2^{20}$
2. In each cluster encode residual vectors with PQ
3. Use HNSW to choose clusters during search

		DEEP1B					SIFT1B				
Method	$K$	R@1	R@10	R@100	t	Mem	R@1	R@10	R@100	t	Mem
O-Multi-D-OADC[24]	$2^{14}$	0.397	0.766	0.909	8.5	17.34	0.360	0.792	0.901	5	17.34
Multi-LOPQ[4]	$2^{14}$	0.41	0.79	-	20	18.68	<b>0.454</b>	<b>0.862</b>	0.908	19	19.22
GNOIMI[5]	$2^{14}$	0.45	0.81	-	20	19.75	-	-	-	-	-
IVFOADC+G+P	$2^{20}$	<b>0.452</b>	<b>0.832</b>	<b>0.947</b>	<b>3.3</b>	17.87	0.405	0.851	<b>0.957</b>	<b>3.5</b>	18

**Table 4.** Comparison to the previous works for 16-byte codes. The search runtimes are reported in milliseconds. We also provide the memory per point required by the retrieval systems (the numbers are in bytes and do not include 4 bytes for point ids).

# Conclusion

We reviewed following topics:

- pseudo-classification tasks across different domains
- relevant practical applications and metrics
- sample-based and proxy-based metric learning methods
- several approximate nearest neighbour methods for faster search and indexing in metric representation spaces